## Federal Urdu University of Arts,Science 8\% Technology



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## ELECTRICAL NETWORK THEORY

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## EXPERIMENT NO: 01

## SUPERPOSITION THEOREM

## OBJECTIVE:

To Verify Superposition Principle in DC Circuits

## REQUIRED:

1- DMM
2- 2 DC Power Supplies,
3- $\quad$ Resistances ( $1 \mathrm{k} \Omega, 2 \mathrm{k} \Omega, 430 \mathrm{k} \Omega$ )
THEORY:
The superposition principle states that:
"The current through or voltage across, any resistive branch of a multisource network is the algebraic sum of the contribution due to each source acting independently."

When the effect of one source is considered, the others are replaced by their internal resistances. This principle permits one to analyze circuits without restoring to simultaneous equations.

Superposition is effective only for linear circuit relationship. Non-linear effects, such as power, which varies as the square of the current or voltage, cannot be analyzed using this principle.

## FIGURE:



Fig-1


Fig-2


Fig-3

## PROCEDURE:

1. Construct the Network of Fig-1, where $\mathrm{R} 1=1 \mathrm{k} \Omega, \mathrm{R} 2=430 \Omega, \mathrm{R} 3=2 \mathrm{k} \Omega$. Verify the resistances using DMM.
2. Using superposition and measured resistance values, calculate the currents indicated in observation Table (a), for the network of Fig-1. Next to each magnitude include a small arrow to indicate the current direction for each source and for the complete network.
3. Energize the network of Fig-1 and measure the voltages indicated in observation table b, calculate current in Table (b) using Ohm's Law. Indicate the polarity of the voltages and direction of currents on Fig-1.
4. Construct the network of Fig -2. Note that source E2 has been removed.
5. Energize the network of Fig -2 and measure the voltages indicated in Table (c). Calculate currents using Ohm's Law.
6. Now construct the network of Fig -3. Note that source E1 has been removed.
7. Energize the network of Fig -3 and measure the voltages indicated in Table (d). Calculate currents using Ohm's Law.
8. Using the results of steps \#3,5 and 7, determine the power delivered to each resistor and insert in Table (e).

## OBSERVATIONS:

## Resistors:

|  | Nominal Values $(\Omega)$ | Measured Values ( $\Omega$ ) |
| :--- | :---: | :--- |
| 1 | 1 K |  |
| 2 | 430 |  |
| 3 | 2 K |  |

a) Calculated Values for the Network of Fig. 1

| Due to E1 | Due to E2 | Algebraic Sum $(\Sigma)$ |
| :--- | :--- | :--- |
| $I_{1}=$ | $I_{1}=$ | $I_{1}=$ |
| $I_{2}=$ | $I_{2}=$ | $I_{2}=$ |
| $I_{3}=$ | $I_{3}=$ | $I_{3}=$ |

b) Measured Values for the Network of Fig. 1

| $\mathbf{V}_{\mathbf{1}}$ | $\mathbf{V}_{\mathbf{2}}$ | $\mathbf{V}_{\mathbf{3}}$ | $\mathbf{I}_{\mathbf{1}}$ | $\mathbf{I}_{\mathbf{2}}$ | $\mathbf{I}_{\mathbf{3}}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

c) Measured Values for the Network of Fig. 2

| $\mathbf{V}_{\mathbf{1}}$ | $\mathbf{V}_{\mathbf{2}}$ | $\mathbf{V}_{\mathbf{3}}$ | $\mathbf{l}_{\mathbf{1}}$ | $\mathbf{I}_{\mathbf{2}}$ | $\mathbf{I}_{\mathbf{3}}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

d) Measured Values for the Network of Fig. 3

| $\mathbf{V}_{\mathbf{1}}$ | $\mathbf{V}_{\mathbf{2}}$ | $\mathbf{V}_{\mathbf{3}}$ | $\mathbf{I}_{\mathbf{1}}$ | $\mathbf{I}_{\mathbf{2}}$ | $\mathbf{I}_{\mathbf{3}}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |

e) Power Absorbed ( use measured values of I and V)

| Due to E1 | Due to E2 | Sum of Columns 1 \& 2 | $E_{1}$ \& E2 Acting <br> Simultaneously |
| :--- | :--- | :--- | :--- |
|  |  |  |  |

## EXPERIMENT NO: 02

## VERIFICATION OF THEVENIN'S THEOREM

## OBJECTIVE:

To Verify Thevenin Theorem by finding its Thevenin's Equivalent Circuit

## REQUIRED:

1. VOM/DMM
2. Power Supply
3. Resistances ( $120 \Omega, 1 \mathrm{k} \Omega, 390 \Omega$ )

## THEORY:

Any linear circuit is equivalent to a single voltage source (Thevenin's Voltage) in series with single equivalent resistance (Thevenin's Equivalent Resistances)

The current flowing through a load resistance RL connected across any two terminals A and $\mathbf{B}$ of a network is given

## FIGURE:



Fig-1


Fig-2


Fig-3

## PROCEDURE:

1. Reduce the circuit by calculating the Thevnin equivalent resistance across the terminals $\mathbf{A}$ \& $\mathbf{B}$
2. Determine the Thevinin equivalent voltage across terminals "A" and "B" for $5 \mathrm{~V}, 10 \mathrm{~V}, 15 \mathrm{~V}$.
3. Now, combine the Thevenin voltage with its resistance determines across $120 \Omega, 1 \mathrm{~K} \Omega$, and 390 $\Omega$ resistors.

## TABLE-1:

| Vs | $\mathbf{R}_{1}$ | $\mathbf{R}_{2}$ | $\mathbf{R}_{3}$ | V $_{\text {TH }}$ | RTH |
| :---: | :--- | :--- | :--- | :--- | :--- |
| 5V |  |  |  |  |  |
| 10V |  |  |  |  |  |
| 15V |  |  |  |  |  |

TABLE-2:

| Vs | $V_{\text {TH }}$ | Rth | RL | IL |
| :---: | :---: | :---: | :---: | :---: |
| 5V |  |  | 120 |  |
|  |  |  | 390 |  |
|  |  |  | 1K |  |
|  |  |  |  |  |
| 10V |  |  | 120 |  |
|  |  |  | 390 |  |
|  |  |  | 1K |  |
| 15V |  |  | 120 |  |
|  |  |  | 390 |  |
|  |  |  | 1K |  |

## EXPERIMENT NO: 03

## VERIFICATION OF MAXIMUM POWER TRANSFER THEOREM

## OBJECTIVE:

To Verify Maximum Power Transfer Theorem

## Discussion

Maximum power transfer theorem states that any linear network, if the load resistance equals its Thevenin's equivalent resistance, the load can yield a maximum power from sources.

Now we consider the Thevenin's equivalent shown in Fig 1. By Ohm's Law, the power dissipated in the Load $\mathrm{P}_{\mathrm{RL}}$ can be expressed as follows.

$$
\begin{gathered}
\mathrm{I}=\mathrm{E}_{\text {TH }} /\left(\mathrm{R}_{\text {TH }}+\mathrm{R}_{\mathrm{L}}\right) \\
\mathrm{P}_{\mathrm{RL}}=\mathrm{I}^{2} * \mathrm{R}_{\mathrm{L}} \\
\mathrm{P}_{\mathrm{RL}}=\left[\mathrm{E}_{\text {TH }} /\left(\mathrm{E}_{\text {TH }}+\mathrm{R}_{\mathrm{L}}\right)^{2} * \mathrm{R}_{\mathrm{L}}\right.
\end{gathered}
$$



Figure-1

Suppose $E_{T H}=4 V$ and $R_{T H}=5 \Omega$, then $P_{R L}$ can be expressed by the equation $P_{R L}=16$ RL/ $\left(5+R_{L}\right)^{2}$. Now we calculate and record each of the $P_{\text {RL }}$ values for each $R_{L}$ value from $1 \Omega$ to $9 \Omega$ increasing the step to $1 \Omega$. The results are listed in Table 1 and plotted in Fig 2. From both Table 1 and fig- 2, you can find that the maximum value of $P_{R L}$ occurs at $R_{L}=R_{T H}$.

Table-1

| (Ohms) | (Vatts) |
| :---: | :---: |
| 1 | 0.445 |
| 2 | 0.655 |
| 3 | 0.750 |
| 4 | 0.790 |
| 5 | 0.800 |
| 6 | 0.792 |
| 7 | 0.780 |
| 8 | 0.760 |
| 9 | 0.735 |



## Procedure

1. Set the Module KL-13001 on the main KL-21001, and locate the block a.
2. According to Figs. 1, complete the experiment circuit with short-circuit clips.
3. Apply +15 V to +V .

Turn off the power switch.
4. Adjust $V_{R 1}$ to $250 \Omega$. (Let $\left.R_{1}=R_{T H}, V_{R 1}=R_{1}\right)$.

Turn on the power.
Measure and record the current flowing through VR1 as indicated by the milliammter.
$\qquad$ mA .

Calculate and record the power dissipated by $\mathrm{V}_{\mathrm{R} 1}$ using the equation
$\mathrm{P}_{\mathrm{RL}}=I^{2} * R_{\mathrm{L}} . \mathrm{P}_{\mathrm{RL}}=$ $\qquad$ W.

Turn off the power.
5. Adjust $\mathrm{V}_{\mathrm{R} 1}$ to $500 \Omega$ and repeat step 4.

$$
\begin{array}{lll}
\mathrm{I} & = & \mathrm{mA} \\
\mathrm{P}_{\mathrm{RL}} & = & \mathrm{W}
\end{array}
$$

6. Adjust $V_{R 1}$ to $1 \mathrm{~K} \Omega$ and repeat step 4.
$1=$ $\qquad$ mA
$\mathrm{P}_{\mathrm{RL}}=$ $\qquad$ W
7. Adjust $\mathrm{V}_{\mathrm{R} 1}$ to $1.25 \mathrm{~K} \Omega$ and repeat step 4.

| I | $=$ |
| :--- | :--- | :--- |
| $\mathrm{P}_{\mathrm{RL}}$ | $=$ |
| mA |  |

8. Adjust $\mathrm{V}_{\mathrm{R} 1}$ to $1.5 \mathrm{~K} \Omega$ and repeat step 4.

| 1 | $=$ |
| :--- | :--- | :--- |
| $\mathrm{P}_{\mathrm{RL}}$ | $=$ |
| mA |  |

9. Complete Fig. 4 by using you measured I and calculated PRL values.

## EXPERIMENT NO: 04

To observe variation in impedance and current of an RC series network in ac circuit

## Discussion

When an ac voltage is applied across a pure resistance, the resultant current is in phase with the applied voltage. Resistance therefore has no phase angle associated with it and is written as $R<0$. When an ac voltage is applied across a pure capacitor, the resultant current leads the voltage by 90 . Capacitance therefore has a phase angle associated with it. The opposition that a capacitor offers to the flow of alternating current is called capacitive reactance and is written as $\mathrm{Xc}<-90$, or -j Xc . The magnitude of Xc is $X c=1 / 2 \pi f C=1 / w C$.

An RC series circuit with an ac supply voltage is shown Fig. The impedance of this circuit can be expressed as

$$
Z_{T}=Z_{1}+Z_{2}=R 0+X_{C}-90
$$

The current in the across $R$ is

$$
E_{R}=I R
$$

The voltage across C is

$$
E_{C}=I X_{C}
$$

By Kirchhoff's voltage law, then

$$
\begin{array}{r}
\quad \Sigma \mathrm{V}=\mathrm{E}-\mathrm{V}_{\mathrm{R}}-\mathrm{V}_{\mathrm{C}}=0 \\
\text { Or } \quad E=\overrightarrow{V_{R}}+\overrightarrow{V_{C}}
\end{array}
$$

## R8



Figure

## Procedure

1. Set the module KL-13001 on the main unit KL-21001, and locate the block e.
2. According to Figs. 1 complete the experiment circuit with short-circuit clips. Apply the AC power 9 V to $E_{A}$. Measure and record $E_{A}=$ $\qquad$ V
3. Calculated and record the values below.

| Reactance of $\mathrm{C}_{2}$ | $\mathrm{X}_{\mathrm{c}}$ | = | $\Omega$ |
| :---: | :---: | :---: | :---: |
| Total impedance | $\mathrm{Z}_{T}$ | = | $\Omega$ |
| Current in circuit | 1 | = | mA |
| Voltage across $\mathrm{R}_{8}$ | R | = | V |
| Voltage across $\mathrm{C}_{2}$ | $\mathrm{E}_{\mathrm{C}}$ | = | V |
| Power dissipated | P | = | mW |

4. Measure and record the values of ER and EC by using the ac voltmeter.


Are you sure the measured values equal to the calculated values of step 3?
Yes
NO
4. Using the equation $E^{*}=\overrightarrow{V_{R}}+\overrightarrow{V_{C}}$, calculate the applied voltage of the circuit.

$$
\mathrm{E}_{\mathrm{A}} \quad=\quad \text { V }
$$

Does the calculated value equal the measured value of step 2 ?
Yes
NO

If no, explain it.
5. Using the measured values of ER and EC, calculate and record the current I.

$$
1 \quad=\quad
$$ mA

Does the calculated value equal the measured value of step 3 ?
YES
NO
6. Using the values of $R, X_{C}$ and $Z_{T}$, plot a vector diagram in space below.

## EXPERIMENT NO: 05

## To observe variation in impedance and current of an RL series network in ac circuit

## Discussion

When an ac voltage is applied across a pure inductance, the current lags the voltage by $90^{\circ}$.Inductance therefore has phase angle associated with it .The opposition that an inductance offers to the flow of alternating current is called inductive reactance and may be expressed as $X_{L}<90^{\circ}$, or $\mathrm{j} X_{L}$
The magnitude of $X_{L}$ is $X_{L}=2 \pi f \mathrm{~L}=2 \omega_{\mathrm{L}}$
An RL series circuit with an ac supply voltage is shown in Fig-1.The impedance of this circuit can be expressed as

$$
\begin{aligned}
Z_{T} & =Z_{1}+Z_{2} \\
& =R<0^{\circ}+X_{L}<+90^{\circ}
\end{aligned}
$$

The current in the circuit is

$$
\mathrm{L}=\mathrm{E} / Z_{T} \quad \text { (the current lags the voltage) }
$$

The voltage across $R$ is

$$
V_{R}=1 \mathrm{R}
$$

The voltage across I is

$$
V_{L}=I X_{L}
$$

By Kirchhoff s voltage law, then

$$
\begin{aligned}
& \Sigma \mathrm{V}=\mathrm{E}-V_{R}-V_{L}=0 \\
& E=\overrightarrow{V_{R}}+\overrightarrow{V_{L}}
\end{aligned}
$$

R9


Figure

## Procedure

1. Set the module KL -13001 on the main unit KL-21001, and locate the block f , link 0.5 H inductance at L1 position.
2. According to Figure complete the experiment circuit with short -circuit clips. Apply the AC power 9 V to EA .
Measure and record EA. EA = $\qquad$ V
3. Calculate and record the values below.

| Reactance of L 1 | $X_{L}=\square \Omega$ |
| :--- | :--- |
| Total impedance | $Z_{T}=\square \mathrm{mA}$ |
| Current in circuit | $\mathrm{I}=\square \mathrm{V}$ |
| Voltage across R9 | $V_{R}=\square$ |
| Voltage across L1 | $V_{L}=\square$ |
| Phase angle | $\theta_{=}=\square$ |
| Power dissipated | $\mathrm{P}=\square$ |

4. Measure and record the values of $V_{R}=$ and $V_{L}=$ by Using the AC voltmeter.

Voltage across R9
$V_{R}=$ V

Voltage across L1
$V_{L}=$ $\qquad$ V
5. Do the measured values equal the calculated values of step 3 ?
Yes
No
6. Using the equation $E=\overrightarrow{V_{R}}+\overrightarrow{V_{L}}$, calculate the applied voltage of the circuit

EA = $\qquad$ V
Does the calculated value equal the measured value of step 2?
Yes No
If No explain it.

## EXPERIMENT NO: 06

## To Observed and determine the Resonant Frequency of a resonant circuit

## Discussion:

Figure shows an RLC series-parallel circuit with an ac power supply as mentioned before. The capacitive reactance $X_{C}$ and inductive reactance $X_{L}$ very with frequency. Therefore, the net impedance of the parallel circuit consisting of 12 and C3 will vary with input frequency. At some frequency which we will define as the resonant frequency $f_{r}$. the parallel circuit operates in resonance and $X_{L}$ equals $X_{C}$ the resonant frequency can be expressed as
$f_{T}=1 / 2 \pi \sqrt{L C}$.


Figure

## Procedure

1. Set the module KL-13001 on the main unit KL -21001, and locate the block $h$.
2. According to Figure, complete the experiment circuit with short -circuit clips.

The L2 is the 0.1 H inductor provided.
3. Set the function selector of function generator to sine wave position .connect the oscilloscope to the output of function generator.
Adjust the amplitude and frequency control knobs to obtain an output of 1 KHz , $5 \mathrm{Vp}-\mathrm{p}$ and connect it to the circuit input (I/P).
4. Using the oscilloscope, measure and record the voltage acrossL2, C3 and R12.

$$
\begin{array}{ll}
V_{L}= & \mathrm{V} \mathrm{p}-\mathrm{p} \\
V_{C}= & \mathrm{V} \mathrm{p} \mathrm{p} \\
V_{R}= & \mathrm{V} \mathrm{p}-\mathrm{p}
\end{array}
$$

5. Using the equation $f_{r}=1 / 2 \pi \sqrt{L C}$, calculate and record the resonant frequency of the circuit.
$f_{r}=$ $\qquad$ Hz
6. Vary the output frequency of function generator to obtain a maximum value of VAB.

Using the oscilloscope, measure and record the input frequency
$f=$ $\qquad$ Hz
7. Is there agreement between the frequency value f and the resonant frequency $f_{r}$ of step 5 ?

Yes
No

## EXPERIMENT 07

## DC RC CIRCUIT AND TRANSIENT PHENOMENA

## DISCUSSION

The capacitor is a element which stores electric energy by charging the charge on it. Bear in mind that the charge on a capacitor cannot change instantly. Fig. 1 shows a basic RC circuit consisting a dc voltage, switch, capacitor, and resistor. Assume that the voltage across C is zero before the switch closes. Even at the instant when the switch closes (connecting to VR1 and letting VR1 = R), the capacitor voltage will still be at zero, and so the full voltage is impressed across the resistor. In other words, the peak value of charging current which starts to flow is at first determined by the resistor. That is, $I_{o}=V / R$.


Figure-1

As C begins to charged, a voltage is built up across it which bucks the battery voltage, leaving less voltage for the resistor. As the charging continues, the current keeps decreasing. The charging current can be expressed by the formula $\mathbf{i}=(\mathbf{V} / \mathbf{R}) \dot{\boldsymbol{\varepsilon}}^{-\mathbf{t / R C}}$, where $\dot{\varepsilon}=2.718$. Fig. 2 shows how the charging current varies with time.

Fig. 3 shows how the resistor voltage $\mathrm{V}_{\mathrm{R}}$ and the capacitor voltage $\mathbf{V}_{\mathbf{C}}$ vary with time when it is charging. The capacitor voltage $V_{C}$ is expressed by $\mathbf{V}_{\mathbf{C}}=\mathbf{V}\left(\mathbf{1}-\dot{\boldsymbol{\varepsilon}}^{-\mathbf{t / R C}}\right.$, $)$ and the resistor voltage is $\mathbf{V}_{\mathbf{R}}=\mathbf{V} \boldsymbol{\varepsilon}^{-\mathbf{t / R C}}$ by Kirchhoff's voltage law, $\mathbf{V}=\mathbf{V}_{\mathbf{R}}+\mathbf{V}_{\mathbf{C}}$ at all times.


Figure -2


Figure-3

For the moments we assume that the VC is equal to the battery voltage. The switch is switched to connect the C and R7 in shunt. The capacitor then discharges through R7 (letting R7=R), so the discharging current, the resistor voltage, and the capacitor voltage can be expressed by the following:

$$
\mathbf{L}=-(\mathbf{V} / \mathbf{R}) \varepsilon^{-t / R C} \quad \mathbf{V}_{\mathbf{C}}=\mathbf{V} \varepsilon^{-\mathrm{t} / \mathrm{RC}} \quad \mathbf{V}_{\mathbf{R}}=\mathbf{V}-\dot{\varepsilon}^{-\mathrm{t} / \mathrm{RC}}
$$

Fig 4 shows how the discharging current varies with time. Fig. 5 shows how the $V_{R}$ and $V_{C}$ vary with time when it is discharging.


Figure - 4


Figure- 5

When the capacitor charges, the final value of Vc is determined solely by battery voltage, and how long it takes to get there depends on the resistor and capacitor sizes. The value of RC product is referred to as the time constant ( T or TC ) of the RC circuit. That is, $\mathrm{T}=\mathrm{RC}$, where T is second, R in ohm, and C in farad. If $\mathrm{t}=1 \mathrm{~T}$, the capacitor will build up to $63 \%$ of this final voltage. The time constant chart is shown in Fig. 6 curve as the capacitor charge voltage and curve $B$ is the capacitor discharge voltage. In practice, at $t=5 \mathrm{~T}$, we can consider that the Vc charges to V or Vc discharges to 0


Figure - 6

## PROCEDURE

1. Set the module KL-21001, and locate the block d.
2. According to figs. 1 And 7 complete circuit with short- circuit clips.


Figure - 7
3. Adjust VR1 to $1 \mathrm{~K} \Omega$. Turn the switch to VR1 position.

Connect the voltmeter across the capacitor C 1 .
Adjust the positive to +10 V and apply it to circuit.
At this instant the capacitor C1 begins to charge and the capacitor voltage Vc1 increases and finally reaches to 10 V as indicated by the voltmeter.
4. Turn the switch to R7 position.

The capacitor begins to discharge and the Vc decreases to 0 V .
5. Using the equation $T=R x C$ and the values of VR1 and C1 calculate the time constant $T=$ $\qquad$ Sec.
6. Calculate the values of charging capacitor voltage Vc 1 at $\mathrm{t}=0 \mathrm{~T}, 1 \mathrm{~T}, 2 \mathrm{~T}, 3 \mathrm{~T}, 4 \mathrm{~T}$, and 5 T and plot them on the graph of fig. 8 .

Draw a smooth curve through these plotted points.

This will be a charging curve.


Figure-8
7. Use the stopwatch to count the time constant or oscilloscope.

Turn the switch VR1 position, measure and record the time when the charging capacitor voltage Vc1 reaches 6.32 V as indicated by the voltmeter.
$\mathrm{T}=$ $\qquad$ Sec.

Note: Make sure $\mathrm{Vc} 1=0$ before changing the capacitor each time.
8. Measure the values of Vc 1 at time $\mathrm{t}=1 \mathrm{~T}, 2 \mathrm{~T}, 3 \mathrm{~T}, 4 \mathrm{~T}, 5 \mathrm{~T}$, and record the result in table 1 .

## TABLE-1

| Time (t) | 0T | 1T | 2T | 3T | 4T | 5T |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{V}_{\mathbf{C}} 1$ |  |  |  |  |  |  |

9. Plot the recorded values of t and Vc 1 on the graph of Fig.8, and then draw a smooth curve through these plotted points.
10. Comparing the curves of steps 9 and 6, is there good agreement between the two
Yes No
11. Adjust VR1 to $200 \Omega$.

Calculated and record the time constant T.
T= $\qquad$ Sec.

Charge the capacitor and observe the charge in Vc 1 indicated by the voltmeter.
Is the charging time shorter than that of step 3 for $\mathrm{Vc} 1=10 \mathrm{~V}$ ?
Yes No
12. Turn the switch to the VR1 position.

Apply the power +10 V to charge the capacitor to $\mathrm{Vc} 1=10 \mathrm{~V}$.
13. Turn the switch to R7 position. The capacitor will discharge through R7.

Calculated and record the time constant for discharging.
$\mathrm{T}=$ $\qquad$ Sec.
14. Repeat step 6 for discharging curve.
15. Measure and record the time that Vc 1 decreases from 10 V to 3.68 V .
$\mathrm{T}=$ $\qquad$ Sec.
Comparing this result with step 13 , is there agreement between the two?
Yes No
16. Repeat step 8 for discharging and record the result in table 2 .

TABLE-1

| Time (t) | 0T | 1T | 2T | 3T | 4T | 5T |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{V}_{\mathrm{C}} \mathbf{1}$ |  |  |  |  |  |  |

17. Repeat step 9 for discharging curve.
18. Comparing the curves or steps 17 and 14 , is there good agreement between the two? Yes

## EXPERIMENT 08

## PULSE RESPONSE OF A SERIES RC NETWORK

## EQUIPMENT

1. Signal generator
2. Oscilloscope
3. Capacitor: $0.1 \mu \mathrm{~F} / 0.001 \mu \mathrm{~F}$
4. Resistor: $10 \mathrm{~K} \Omega / 20 \mathrm{~K} \Omega$

## CIRCUIT DIAGRAM



## THEORY

The step response of a network is its behaviors when the excitation is the step function. We use a square wave source, which in fact repeats the pulse every ' T ' Seconds and allows a continuous display of repetitive responses on a normal oscilloscope.

## Charging a capacitor

We investigate the behavior of a capacitor when it is charged via a high resistor. At the instant when step voltage is applied to the network, the voltage across the capacitor is zero because the capacitor is initially uncharged. The entire applied voltage v will be dropped across the resistance R and the charging current is maximum.

But then gradually, voltage across the capacitor starts increasing as the capacitor start to charge and the charging current starts decreasing. The decrease of the charging current and the increase of voltage across the capacitor follow exponential law.

$$
I(t)=V / R e^{-t / R C}
$$

However, the voltage across the capacitor is given by,

$$
\mathrm{V}_{\mathrm{C}}(\mathrm{t})=\mathrm{V}\left(1-\mathrm{e}^{-\mathrm{trC}}\right)
$$

Where $\mathrm{t}=$ time elapsed since pulse is applied
$\tau=\mathrm{RC}=$ Time constant of the circuit



## Discharging a charged Capacitor

During the next half cycle of pulse, when the pulse amplitude is zero and capacitor is charged to potential difference of V volts, now the capacitor discharges through resistor R . So, the voltage across capacitor decreases exponentially and the discharge current rises instantly to a maximum value i.e $\quad \mathrm{Im}=\mathrm{V} / \mathrm{R}$ and then decays exponentally. Mathematically, it can be shown that voltage across the capacitor and discharging current are given value by,

$$
\begin{aligned}
& V_{C}(t)=V e^{-t / C R} \\
& I(t)=-I_{m} e^{-t / R C}
\end{aligned}
$$



## PROCEDURE:

1. Set the out of the function generator to a square wave with frequency 500 Hz and peak to peak amplitude 5 V .
2. Wire the circuit on bread board.
3. Display simultaneously voltage $\mathrm{V}_{\text {in }}(\mathrm{t})$ across the function generator (on CH 1$)$ and $\mathrm{V}_{\mathrm{C}}(\mathrm{t})$ across the capacitor C (on CH2).
4. Sketch the two measure wave forms $V_{i n}(t)$ and $V_{c}(t)$, calculate and sketch the waveforms, $V_{R}(t)$ and $I(t)$. Label the time, voltage and current scales note that the voltage across the $R$ is $V_{R}(t)$ also represents the current $I(t)$.
5. Measure the time constant $\tau$, using the waveform $\mathrm{V}_{\mathrm{C}}(\mathrm{t})$. Expand the time scale and measure the time it takes for the waveform to complete $63 \%$ of its total change, i.e 5 V. Enter the measured value of $\tau$ in table.
6. Computer values of theoretically expected and experimentally obtained time constants $\tau$.

## Max frequency input pulse that can be applied:

If the pulse width is at least five time constant in length, the capacitor will have sufficient time to charge and discharge when the pulse returns to 0 volts. Any increase in frequency beyond this will result in insufficient time for the charge/discharge cycle to complete. This frequency is the max frequency of input pulse that can be applied.

So min pulse width should be equal to 5RC and form this max frequency can be calculated.

## OBSERVATION AND CALCULATIONS

## Table-1

| No. | R | C | $\tau$ | $5 \tau$ | F |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $20 \mathrm{~K} \Omega$ | $0.001 \mu \mathrm{~F}$ |  |  |  |
| 2 | $10 \mathrm{~K} \Omega$ | $0.001 \mu \mathrm{~F}$ |  |  |  |

## Charging of Capacitor

## Table 2

| Number of Time Constant | Calculated Voltage Vc(volts) | Measured Voltage Vc(volts) |
| :---: | :--- | :--- |
| $\mathbf{1 \tau}$ |  |  |
| $2 \boldsymbol{\tau}$ |  |  |
| $\mathbf{3 \tau}$ |  |  |
| $\mathbf{4 \tau}$ |  |  |
| $\mathbf{5 \tau}$ |  |  |

## Discharging of Capacitor

Table 3

| Number of Time Constant | Calculated Voltage Vc(volts) | Measured Voltage Vc(volts) |
| :---: | :--- | :--- |
| $\mathbf{1 \tau}$ |  |  |
| $2 \boldsymbol{\tau}$ |  |  |
| $\mathbf{3 \tau}$ |  |  |
| $\mathbf{4 \tau}$ |  |  |
| $\mathbf{5 \tau}$ |  |  |

## WAVEFORMS OF VOLTAGES\& CURRENTS



## EXPERIMENT 09

## PULSE RESPONSE OF A SERIES RL NETWORK

## EQUIPMENT

1. Signal generator
2. Oscilloscope
3. Inductor: 100 mH
4. Resistor: $10 \mathrm{~K} \Omega / 20 \mathrm{~K} \Omega$

## CIRCUIT DIAGRAM



## THEORY

This lab is similar to the RC circuit lab except that an Inductor replaces the capacitor. In this experiment we apply a square waveform to the RL circuit to analyze the transient response of the circuit. The pulse -width relative to the circuit's time constant determines how it is affected by the RL circuit.

## Rise of current

At the instant when step voltage is applied to an RL network, the current increases gradually and takes some time to reach the final value. The reason the current does not build up instantly to its final value is that as the current increases, the self-induced e.m.f in L opposes the change in current (Lenz's Law). Mathematically, it can be shown,

$$
I(t)=V / R\left(1-e^{-t / \tau}\right)
$$

Where $\quad t=\quad$ time elapsed since pulse is appliad
$\tau=\quad \mathrm{L} / \mathrm{R}=$ time constant of the circuit

## (ii) Decay of the current

During the next half cycle of the pulse, when the pulse amplitude is zero, the current decreases to zero exponentially. Mathematically, it can be shown,

$$
I(t)=V / R e^{-t / \tau}
$$

## PROCERURE

1. Set the output of the function generator to a square-wave with frequency 2 KHz and peak-to-peak amplitude 5 V .
2. Wire the circuit on breadboard.
3. Display simultaneously voltage $\mathrm{V}_{\text {in }}(\mathrm{t})$ across the function generator (on CH 1$)$ and $\mathrm{V}_{\mathrm{L}}(\mathrm{t})$ across the inductor L (on CH 2 ).
4. Sketch the two measured waveform $V_{\text {in }}(t)$ and $V_{L}(t)$, calculate and sketch the waveform, $V_{R}(t)$ and $I(t)$, Label the time, voltage and current scales. Note that the voltage across resistor $R, V_{R}(t)$, also represents the current $I(t)$.
5. Measure the time constant, $\tau$ using the wave form $\mathrm{V}_{\mathrm{R}}(\mathrm{t})$. Expand the time scale and measure the time it takes for the waveform to complete $63 \%$ of its total change, i.e. 5 V . Enter the measured value of $\tau$ in Table.
6. Compare values of the theoretically expected and experimentally obtained time constants $\tau$.

## OBSERVATION AND CALCULATIONS

## Table-1

| No. | R | L | $\boldsymbol{\tau}$ | $5 \boldsymbol{\tau}$ | $\mathrm{~F}_{\text {max }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $20 \mathrm{~K} \Omega$ | 100 mH |  |  |  |
| 2 | $10 \mathrm{~K} \Omega$ | 100 mH |  |  |  |

## Rise of Current

## Table 2

| Number of Time Constant | Calculated Current (Amps) | Measured Current (Amps) |
| :---: | :--- | :--- |
| $\mathbf{1 \tau}$ |  |  |
| $2 \boldsymbol{\tau}$ |  |  |
| $\mathbf{3 \tau}$ |  |  |
| $\mathbf{4 \tau}$ |  |  |
| $\mathbf{5 \tau}$ |  |  |

## Decay of Current

## Table 3

| Number of Time Constant | Calculated Current (Amps) | Measured Current (Amps) |
| :---: | :--- | :--- |
| $\mathbf{1 \tau}$ |  |  |
| $2 \boldsymbol{\tau}$ |  |  |
| $\mathbf{3 \tau}$ |  |  |
| $\mathbf{4 \tau}$ |  |  |
| $5 \tau$ |  |  |

## WAVEFORMS OF VOLTAGES\& CURRENTS



## EXPERIMENT 10

## TO SHOW THE FREQUENCY RESPONSE OF A SERIES RLC NETWORK AND SHOW THAT THE RESONANT FREQUENCY OF A SERIES RLC CIRCUIT IS GIVEN BY 1/2T $\sqrt{ }$ LC.

## EQUIPMENT

1. Signal Generator
2. Inductor: $100-200 \mathrm{mH}$
3. Capacitors: $0.001 \mu \mathrm{~F}$ and $0.01 \mu \mathrm{~F}$
4. Resistor: $100 \Omega \pm 5$ percent
5. Oscilloscope
6. Multimeter

## CIRCUIT DIAGRAM



## THEORY

As shown in the circuit diagram, resistor, inductor and capacitor are connected in series with an a.c. supply of r.m.s. voltage V. The Phasor diagram is plotted as,


Let $\mathrm{V}_{\mathrm{R}}=\mathrm{IR}=$ voltage drop across R
$\mathrm{V}_{\mathrm{L}}=\mathrm{IX}_{\mathrm{L}}=$ voltage drop across L
$\mathrm{V}_{\mathrm{C}}=\mathrm{IX}_{\mathrm{C}}=$ voltage drop across C

In voltage triangle of fig $1, O A$ represents $V_{R}, A B$ and $A C$ represents the inductive and capacitive drop respectively. It will be seen that $\mathrm{V}_{\mathrm{L}}$ and Vc are 180 degree out of phase with each other i.c. they are in direct opposition to each other.
Subtracting $A C$ from $A B$, we get the net reactive drop $A D=I\left(X_{L}-X_{C}\right)$

The appliad voltage V is represented by OD and is the vector sum of OA and AD .
$\mathrm{OD}=\sqrt{ }\left(\mathrm{OA}^{2}+\mathrm{AD}^{2)}\right.$

$$
\begin{array}{lc}
\mathrm{V} & =\sqrt{ }\left[(\mathrm{IR})^{2}+\left(\mathrm{IX}_{\mathrm{L}}-\mathrm{IX}_{\mathrm{C}}\right)^{2}\right] \\
\mathrm{I} & =\mathrm{V} / \sqrt{ }\left[(\mathrm{R})^{2}+\left(\mathrm{X}_{\mathrm{L}}-\mathrm{X}_{\mathrm{C}}\right)^{2}\right]
\end{array}
$$

The term is known $\left[(\mathrm{R})^{2}+\left(\mathrm{X}_{\mathrm{L}}-\mathrm{X}_{\mathrm{C}}\right)^{2}\right]$ as the impedance of the network. Obviously,

$$
(\text { Impedance })^{2}=(\text { Resistance })^{2}+(\text { Net Reactance })^{2}
$$

## Resonance in RLC Networks

Resonance means to be in step with. When the appliad voltage and the current in an a.c. network are in step with i.e. phase angle between voltage and current is zero or $\mathrm{pf}=1$, the circuit is said to be in resonance.

An a.c. circuit containing reactive element ( L and C ) is said to be in resonance when the net reactance is zero.
When a series $\mathrm{R}-\mathrm{L}-\mathrm{C}$ is in resonance, it possesses minimum impedance $\mathrm{Z}=\mathrm{R}$. Hence, circuit current is maximum, it being limited by value of $R$ alone. The current $I_{o}=V / R$ and is in phase with V. since circuit current is maximum, it produces large voltage drops across L and C . but these drops being equal and opposite, cancel out each other. Taken together, L and C from part of a circuit across which no voltage develops however, large the current flowing. If it were for the presence of $R$, such a resonant circuit would act like a short circuit to currents of the frequency to which it is often referred to as voltage resonance.
The frequency at which the net reactance of the series circuit is zero is called the resonant frequency. Its value can be found as found as under:
$\mathrm{X}_{\mathrm{L}}-\mathrm{X}_{\mathrm{C}}=0$
$\mathrm{X}_{\mathrm{L}}=\mathrm{X}_{\mathrm{C}} \quad$ or $\quad \omega_{0} \mathrm{~L}=1 / \omega_{0} \mathrm{C}$
$\omega_{0}{ }^{2}=1 / \mathrm{LC} \quad$ or $\quad\left(2 \pi f_{0}\right)^{2}=1 / \mathrm{LC}$ or $\mathrm{f}_{0}=1 / 2 \pi \sqrt{ } \mathrm{LC}$
If $L$ is in Henry and $C$ is in Farad, then $f_{o}$ is in Hertz

## PROCEDURE

1. For the given inductor and capacitor calculate the resonant frequency and connect the circuit as shown in circuit diagram
2. Apply sinusoidal signal from the generator of the 5 V pk to the network and set the frequency to a value of 500 Hz
3. Observe $\mathrm{V}_{\mathrm{R}}, \mathrm{V}_{\mathrm{L}}$ and $\mathrm{V}_{\mathrm{C}}$ on the oscilloscope and record it.
4. Increase the frequency of the signal and for each frequency measure and record $\mathrm{V}, \mathrm{V}_{\mathrm{R}}, \mathrm{V}_{\mathrm{L}}$ and $\mathrm{V}_{\mathrm{C}}$ and maintain applied voltage constant at $5 \mathrm{~V}_{\mathrm{P}}$
5. Now measure $\mathrm{V}_{\mathrm{R}}, \mathrm{V}_{\mathrm{L}}$ and $\mathrm{V}_{\mathrm{C}}$ theoretically and compare the results.

## OBSERVATIONS \&CALCULATIONS

$$
V_{\mathrm{rms}}=\mathrm{V}_{\mathrm{P}} / \sqrt{ } 2
$$

## Calculated value

| No. | Frequency f(Hz) | $\mathrm{X}_{\mathrm{L}}$ (ohms) | $\mathrm{X}_{\mathrm{C}}$ (ohms) | Z (ohms) | $\mathrm{I}=\mathrm{V}_{\mathrm{R}} / \mathrm{R}$ <br> (Amps) | $\mathrm{V}_{\mathrm{L}}=\mathrm{IX}_{\mathrm{L}}$ (Volts) | $\mathrm{V}_{\mathrm{C}}=\mathrm{IX}_{\mathrm{C}}$ <br> (Volts) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 |  |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |  |

## Measured Values

| No. | Frequency (Hz) | $\mathrm{X}_{\mathrm{L}}$ (ohms) | $\mathrm{X}_{\mathrm{C}}$ (ohms) | Z (ohms) | $\mathrm{I}=\mathrm{V}_{\mathrm{R}} / \mathrm{R}$ <br> (Amps) | $\mathrm{V}_{\mathrm{L}}=\mathrm{I} \mathrm{X}_{\mathrm{L} \text { (Volts) }}$ | $\mathrm{V}_{\mathrm{C}}=\mathrm{IX}_{\mathrm{C}}$ <br> (Volts) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 |  |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |  |



## SINUSOIDAL RESPONSE OF RL CIRCUIT

## APPARATUS

1. Signal generator
2. Oscilloscope
3. Multimeter
4. Inductor 100 mH
5. Resistor 2 K

## CIRCUIT DIAGRAM



## THEORY

Circuit containing inductance and resistance appear in variety of electronic circuits, from power supplies to filters. In this experiment we are going to investigate the sinusoidal response of a series RL circuit. A difficulty arises in conjunction with such circuit in that real conductor are not like ideal conductor we deal in our theory. Since they are formed of coiled wire, they possess resistance as will as inductance. Furthermore their resistance is dependent on frequency as will. As a consequence, the inserted R does not represent the total resistance of the circuit. In addition, when we measure the voltage across a coil, we are getting both inductive and resistive component of voltage, not simply VL. In this experiment, we will try to overcome this problem by making R large compared with the ac resistance of coil, that is we will presume the coil is ideal.

Relation for steady state ac analysis are as follows
$\mathrm{Z}_{\mathrm{L}}=\mathrm{j} 2 \pi \mathrm{fL}$
$\mathrm{Z}_{\mathrm{TOTAL}}=\mathrm{R}+\mathrm{Z}_{\mathrm{L}}$
$\mathrm{I}=\mathrm{V}_{\mathrm{in}} / \mathrm{Z}_{\text {TOTAL }}$
$\mathrm{V}_{\mathrm{R}}=\mathrm{IR}$
$\mathrm{V}_{\mathrm{L}}=\mathrm{IZ}_{\mathrm{L}}$

## PROCEDURE

1. Calculate and note down quantities $Z_{L}, Z_{\text {totaL }}, I, V_{R}$ and $V_{L}$ for a source voltage of 5 V peak and frequency 1 KHz . Remember to use $\mathrm{V}_{\mathrm{rms}}=\mathrm{V}_{\mathrm{P}} / \sqrt{ } 2$ in calculations.
2. Connect the circuit as shown in diagram and adjust the function generator voltage and frequency to the values chosen above.
3. Use Multimeter to measure voltages $\mathrm{V}_{\mathrm{L}}$ and $\mathrm{V}_{\mathrm{R}}$ and note down in Table.
4. Compare measured and calculated values.
5. Explain any discrepancies between measured and calculated values of $\mathrm{V}_{\mathrm{R}}$ and $\mathrm{V}_{\mathrm{L}}$.
6. Draw a phasor diagram of the calculated voltages in diagram. Include I as a reference phasor and show the position of $\mathrm{V}_{\mathrm{R}}$ and $\mathrm{V}_{\mathrm{L}}$.

## OBSERVATONS AND CALULATIONS

Table 1

| CALCULATION PARAMETERS |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Z}_{\mathrm{L}}$ | $\mathrm{Z}_{\text {total }}$ | $\mathbf{I}$ | $\mathrm{V}_{\mathrm{R}}$ | $\mathrm{V}_{\mathrm{L}}$ |
|  |  |  |  |  |

## Table 2

| MEASURED |  | $\mathrm{I}=\mathrm{V}_{\mathrm{R} R}$ | $\mathrm{Z}_{\mathrm{L}}=\mathrm{V}_{\mathrm{L}} / \mathrm{I}$ | $\mathrm{Z}=\mathrm{V}_{\mathrm{V} / \mathrm{I}}$ |
| :---: | :---: | :---: | :---: | :---: |
| V | $\mathrm{V}_{\mathrm{L}}$ |  |  |  |
|  |  |  |  |  |

## SINUSOIDAL RESPONSE OF RC CIRCUIT

## APPARATUS

1. Signal generator
2. Oscilloscope
3. Capacitor $0.1 \mu \mathrm{~F}$
4. Resistor 2 K

## CIRCUIT DIAGRAM



## PROCEDURE

(Similar to the above part, except a capacitor replaces inductor)

1. Calculate and note down quantities $\mathbf{Z}_{\mathbf{C}}, \mathbf{Z}_{\text {TOTAL }}, \mathbf{V}_{\mathbf{R}}$ and $\mathbf{V}_{\mathbf{C}}$ for a source voltage of 5 V peak and frequency 1 KHz . Remember to use $\mathbf{V}_{\text {rms }}=\mathbf{V} \mathbf{p} / \sqrt{ } \mathbf{2}$ in calculations
2. Connect the circuit as shown in diagram and adjust the function generator voltage and frequency to the values chosen above.
3. Use Multimeter to measure voltages $\mathbf{V}_{\mathbf{C}}$ and $\mathbf{V}_{\mathbf{R}}$ and note down in Table.
4. Compare measured and calculated values.
5. Explain any discrepancies between measured and calculated values of $\mathbf{V}_{\mathbf{R}}$ and $\mathbf{V}_{\mathbf{C}}$.
6. Draw a phasor diagram of the calculated voltages in diagram. Include I as a reference phasor and show the positions of $\mathbf{V i}, \mathbf{V}_{\mathbf{R}}$ and $\mathbf{V}_{\mathbf{C}}$.

## OBSERVATIONS AND CALCULATIONS

Table 1

| Calculation Parameters |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{Z}_{\mathrm{C}}$ | $\mathbf{Z}_{\text {TOTAL }}$ | $\mathbf{I}$ | $\mathbf{V}_{\mathrm{R}}$ | $\mathbf{V}_{\mathrm{C}}$ |
|  |  |  |  |  |
|  |  |  |  |  |

Table 2


## EXPERIMENT 12

FREQUENCY CHARACTERISTICS OF A SIMPLE LOW PASS RL FILTER CIRCUIT AND TO UNDERSTAND THE BEHAVIOR OF THE CIRCUIT WITH RELATION TO THE POLE ZERO LOCATION.

## APPARATUS

1. Signal generator
2. Oscilloscope
3. Multi-meter
4. Inductor 100 mH
5. Resistor 2 K

## CIRCUIT DIAGRAM



## THEORY

By using various combinations of resistances capacitor and inductor we can make circuit that have the property of passing or rejecting either low or high frequencies or bands or frequencies. These frequency selective networks, which alter the amplitude and phase characteristics of the input ac signal, are called fillers. Or in other words,
"A filter is an AC circuit that separates some frequencies from other in within maxid-frequency signals."
A basic RL low-pass filter is shown in figure. Notice that the output voltage is taken across the resistor.


When the input is dc $(0 \mathrm{~Hz})$ the output voltage ideally equals the input voltage because $\mathrm{X}_{\mathrm{L}}$ is a short circuit. As the input frequency is increased, $\mathrm{X}_{\mathrm{L}}$ increases and as a result $\mathrm{V}_{\text {out }}$ gradually decreases unit the critical frequency is reached. At this point, $X_{L}=R$ and the frequency is

$$
\begin{aligned}
& 2 \pi \mathrm{f}_{\mathrm{C}} \mathrm{~L}=\mathrm{R} \\
& \mathrm{f}_{\mathrm{c}}=\mathrm{R} / 2 \pi \mathrm{~L} \\
& \mathrm{f}_{\mathrm{c}}=1 / 2 \pi(\mathrm{~L} / \mathrm{R})
\end{aligned}
$$

just as in the RC low-pass filter, $\mathrm{V}_{\text {out }}=0.707$ Vin and, thus the output voltage is down 3 dB at the critical frequency.
The RL low-pass filter acts as a lag network. The phase shift from input to output is expressed as

$$
\theta=-\tan ^{-1}\left(\mathrm{X}_{\mathrm{L}} / \mathrm{R}\right)
$$

At the critical frequency, $\mathrm{XL}=\mathrm{R}$ and, therefore, $\theta=-45^{\circ}$. as the input frequency is reduced as decreases and approaches $0^{\circ}$ as the frequency approaches zero as shown in figure


## PROCEDURE

1. Apply a $1 \mathrm{~V}_{\mathrm{pp}} 100 \mathrm{~Hz}$ signal as input to the network and measure the corresponding output voltage level. Determine the decibel gain of the filter.

$$
G(d B)=\log [\mathrm{Vo} / \mathrm{Vin}]
$$

2. Determine the phase difference between $\mathrm{V}_{\mathrm{o}}$ and $\mathrm{V}_{\text {in }}$ in degrees.
3. Repeat step 1 and 2 for the following frequencies: $200 \mathrm{~Hz}, 500 \mathrm{~Hz}, 1 \mathrm{KHz}, 1.5 \mathrm{KHz}$, $3 \mathrm{KHz}, 5 \mathrm{KHz}, 10 \mathrm{KHz}, 20 \mathrm{KHz}, 50 \mathrm{KHz}$.

## OBSERVATIONS AND CALCULATIONS

$\mathrm{fc}=\frac{1}{2 \pi(L / R}$

| No | Input frequency <br> $f(H z)$ | Input voltage <br> $V_{\text {in }} R M S(v o l t s)$ | output voltage <br> $V_{0} R M S(v o l t s)$ | $V_{0} / V_{\text {in }}$ <br> $($ volts $)$ | $d b=(20 \log$ <br> $V_{0} N_{\text {in }}$ | $\theta$ (degrees) |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
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## EXPERIMENTS 13

## FREQUENCY CHARACTERISTICS OF A SIMPLE HIGH PASS RL FILTER CIRCUIT AND TO UNDERSTAND THE BEHAVIOR OF THE CIRCUIT WITH RELATION TO THE POLE ZERO LOCATION.

## APPARATUS

1. Signal generator
2. Oscilloscope
3. Multi-meter
4. Inductor 100 mH
5. Resistor 1.5 K

## CIRCUIT DIAGRAM



## THEORY

A high pass filter allows signals with higher frequencies to pass from input to output while rejecting lower frequency considered to be lower end of pass band is called the critical frequency. It is the frequency at which the output is $70.7 \%$ of the maximum.

A basic RL high-pass filter is shown in figure. Notice that the output is taken across the inductor.


When the input frequency is at its critical value, $\mathrm{XL}=\mathrm{R}$, and the output voltages is 0.707 Vin . As the frequency increases above $f_{c}, X_{L}$ increases and, as a result, the output voltages increase until it equal $V_{i n}$. The expression for the critical frequency of the high-pass filter is the same as for the low-pass filter.

$$
\mathrm{f}_{\mathrm{c}}=\frac{1}{2 \pi\left(\frac{L}{R}\right)}
$$

Frequency characteristics of high pass filter is shown below


Both the RC and the RL high-pass filter act as lead network. Recall from previous experiments that the phase shift from input to output for the RC lead network is:

$$
\theta=\tan ^{-1}\left[\frac{X c}{R}\right]
$$

And for the RL lead network is:

$$
\theta=90^{\circ}-\tan ^{-1}\left[\frac{x \Sigma}{R}\right]
$$

At the critical frequency, $\mathrm{XL}=\mathrm{R}$ and, therefore, $\theta=45^{\circ}$. As the frequency is increased, $\theta$ decreases toward $0^{\circ}$ as shown in figure.


## PROCEDURE

1. Apply a $10 \mathrm{~V}_{\mathrm{pp}} 100 \mathrm{~Hz}$ signal as input to the network and measure the corresponding output voltage level.

Determine the decibel gain of the filter.

$$
G(d b)=20 \log \left[V_{o} / V_{\text {in }}\right]
$$

2. Determine the phase difference between $\mathrm{V}_{\mathrm{o}}$ and $\mathrm{V}_{\text {in }}$ in degrees.
3. Repeat step 1 and 2 for the following frequencies: $200 \mathrm{~Hz}, 500 \mathrm{~Hz}, 1 \mathrm{KHz}, 1.5 \mathrm{KHz}, 2 \mathrm{KHz}, 3 \mathrm{kHz}, 5 \mathrm{KHz}$, $10 \mathrm{KHz}, 20 \mathrm{KHz}, 50 \mathrm{KHz}$.

## OBSERVATIONS AND CALCULATIONS

$$
\mathrm{f}_{\mathrm{c}}=\frac{1}{2 \pi\left(\frac{L}{R}\right)} \quad \mathrm{V}_{\mathrm{in}}
$$

| No | Input frequency f(Hz) | Input voltage Vin RMS(volts) | Output voltage <br> $V_{\text {orms(vols }}$ | $\begin{gathered} \mathrm{V}_{0 /} \mathrm{V}_{\text {in }} \\ \text { (volts) } \end{gathered}$ | $\begin{gathered} \mathrm{dB}=(20 \\ \log V_{01} V_{\text {in }} \end{gathered}$ | $\theta$ (degrees) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |
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## EXPERIMENT 14

## TO PLOT THE MAGNITUDE AND PHASE RESPONSE OF A SERIES RESONANAT BAND FILTER

## APPARATUS

1. Signal Generator
2. Oscilloscope
3. Multimeter
4. Capacitor: $0.01 \mu \mathrm{~F}$
5. Inductor $100-200 \mathrm{mH}$
6. Resistors ( $1 / 4 \mathrm{~W}$ ): $1 \mathrm{~K} \Omega \pm 5$ percent

## CIRCUIT DIAGRAM



## THEORY

## BAND PASS FILTER

It allows a certain band of frequencies to pass and attenuates or rejects all frequencies below and above the pass band. A combination of low-pass and high-pass filter can be used to form band pass filters.


Low-pass and high-pass filters used to form a band-pass filter

## OPERATION OF SERIES RESONANT BAND PASS FILTERS

A series resonant filter has minimum input impedance. At critical frequency the inductor and the capacitor in series behave a simple resistor. Hence making of maximum output a cross the load resister. At the frequency other then resonant frequency, reactance offered by the inductor or capacitor is very large, hence output voltage will be very small at high as well as at low frequencies.

## BANDWIDTH

The bandwidth of a band pass filter is the range of frequencies for which the current, and therefore the output voltage, is equal or greater than 70.7 percent of its value at the resonant frequency.

## Mathematically bandwidth $=\underline{\text { Resonant Frequency } f_{\underline{r}}}$ <br> Quality Factor q

## QUALITY FACTOR

Quality factor is the ratio of reactive power developed in inductor or capacitor to average power the dissipated in resistor.

Quality factor $=$ Reactive power developed in inductor or capacitor
Average power dissipated in resistor
Quality factor indicates the selectivity of the filter and can be expressed as,

$$
\begin{aligned}
\text { Quality factor } & =\quad \omega \mathrm{L} / \mathrm{R} \\
& =\quad 2 \pi \mathrm{f}_{\mathrm{r}} \mathrm{~L} / \mathrm{R}
\end{aligned}
$$

## PROCEDURE

1. For the components used in the circuits, calculate and record the resonant frequencies for the circuit in the fig. Calculate, also, the circuit-Q and bandwidth of the circuit.
2. Construct the circuit shown in fig
3. At a frequency of 500 Hz adjust $\mathrm{V}_{\text {in }}$ to some convenient value, such as 5 V rms.
4. Use Multi-meter to measure $\mathrm{V}_{\mathrm{o}}$ and record it in table.
5. Vary the frequency, measure and record $\mathrm{V}_{\mathrm{o}}$ while maintaining constant.
6. Complete the decibel gain row of the table.
7. Plot the decibel voltage in ratio versus log frequency

## OBSERVATION\&CALCULATION

Resonant Frequency $f_{r}=1 / 2 \pi \sqrt{ }$ LC
Quality Factor $\mathrm{Q}=\dot{\mathrm{L}} / \mathrm{R}$
Bandwidth $=f_{r} / Q$

| No. | Input frequency f(Hz) | Input voltage Vin <br> (volts) | Output voltage <br> Vo (volts) | Vo/Vin <br> (volts) | db= 201og <br> (Vo/ Vin) |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
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## EXPERIMENT NO 15

TO PLOT THE MAGNITUDE AND PHASE RESPONSE OF A SERIES RESONANT BAND-STOP FILTER.

## APPARTUS

1. Signal Generator
2. Oscilloscope
3. Multi-meter
4. Capacitor $10 \mu \mathrm{~F}$
5. Inductor 100 to 200 M Hz
6. Resistor ( $1 / 4 \mathrm{~W}$ ): $500 \Omega 1 \mathrm{~K} \Omega \pm 4 \%$

## CIRCUIT DIAGRAM



## THEORY

## BAND STOP FILTER

It is a filter that rejects a certain band or range of frequencies while passing all frequencies below and above the rejected band. Band stop filters block signals occurring between two given frequencies, FL and FH.

It can be made out of a low-pass and a high pass filter by connecting the two filter sections in parallel with each other instead of in series.


Passes High Frequencies

## OPERATION OF BAND STOP FILTER

When the series LC combination reaches resonance, its very low impedance shorts out the signal, dropping it across resistor R1 and preventing its passage on to the load. Thus, within the band at which the resonant frequencies occur there is a relatively less output and that set of frequencies are attenuated.

At frequencies other the resonant frequencies, the reactance offered by inductor and capacitor is very large, thus outside the band at which resonant frequency occurs, there is large output and that set of frequencies or passed to the output.

## CORNER FREQUENCY

Because a real filter rolls off gradually, you usually specify the corner frequency as the frequency at which the response is $1 / \sqrt{ } 2(0.707)$ of that in the pass band. Because electronics engineer traditionally describe relative signal strengths in decibels, the frequency is also referred to as $3-\mathrm{db}$ point.

## PROCEDURE

1. For the components used in the circuits, calculate and record the resonant frequencies for the circuit in the fig. Calculate, also, the circuit- Q and bandwidth of the circuit.
2. Construct the circuit shown in fig
3. At a frequency of 500 Hz adjust $\mathrm{V}_{\text {in }}$ to some convenient value, such as 5 V rms .
4. Use multi-meter to measure $\mathrm{V}_{\mathrm{o}}$ and record it in table.
5. Vary the frequency, measure and record $V_{o}$ while maintaining constant.
6. Complete the decibel gain row of the table.
7. Plot the decibel voltage in ratio versus log frequency

## OBSERVATION \& CALCULATION

Resonant Frequency $f_{r}=1 / 2 \pi \sqrt{ }$ LC
Quality Factor $\mathrm{Q}=\omega \mathrm{L} / \mathrm{R}$
Bandwidth $=\mathrm{f}_{\mathrm{r}} / \mathrm{Q}$

| No. | Input frequency <br> $\mathrm{f}(\mathrm{Hz})$ | Input voltage Vin <br> (volts) | Output voltage <br> Vo (volts) | Vo/Vin <br> (volts) | db= 201og <br> (Vo/ Vin) |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
|  |  |  |  |  |  |

## EXPERIMENT NO 16

## TO VERIFY THE PRINCIPLE OF SUPER POSITION USING AC AND DC SOURCES

## APPARATUS

1. Signal Generator
2. DC power Supply
3. Oscilloscope
4. Capacitor $0.1 \mu \mathrm{~F}$
5. Resistor 20 K

## CIRCUIT DIAGRAM



## THEORY

We often encounter circuits in which voltage and currents are made of both AC and DC components, i.e. they are energized from DC and AC sources simultaneously. Signals and such circuitry are often referred to as "AC riding on top of DC" and we can examine this behavior with the help of an Oscilloscope.

To analyze such circuits, the technique of super position may be employed. This involves analyzing the circuits separately for each source in it by "killing" the remaining sources. Recall the voltage source or treated as short circuits and current sources as open circuits.

In many applications, the capacitor in a circuit has such a low reactance at the operating frequency that it can be considered it short circuit. To a DC sources, it is treated as an open circuit, of course. These simple ideas allow us to analyze circuits with combined DC/AC signal sources very easily.

In this experiment we are going to look at a circuit that contains such a combination of sources. In addition it will contain only resistors and capacitors. Frequency will be selected in such a way that capacitive reactance is a small enough to be ignored.

## PROCEDURE

1. Use principle of superposition to calculate the DC and AC components of voltage across R and C. Take $\mathrm{f}=10 \mathrm{KHz}$. Treat C as an open for DC and as a short for AC to facilitate your calculations
2. Set the output of function generator 1 V rms sine wave and frequency 10 KHz . Also set the output of DC supply equal to 2 V .Connect the circuit as shown in diagram. (You can also use DC offset knob on function generator instead of using DC supply. For that purpose connect oscilloscope across function generator with output 1 V rms sine wave. Now change the DC offset and observe the effect on oscilloscope. Adjust the offset knob until you see a sine wave riding on a DC level of 2 V with peak to peak value of 2.8 V approximately).
3. Connect the oscilloscope probes across terminal A and B, set it for DC coupling and observe the wave form. You should see a sine wave riding on DC level of 2 V . Sketch the wave form in your note book.
4. Change to AC coupling and note the effect.
5. Using multi-meter, measure both the DC and AC Voltage across R and C.
6. Record these values in table 1.you can also confirm your reading using oscilloscope.
7. Now connect the oscilloscope probes across R and observe the waveform. Change the coupling from DC to AC and AC to DC and observe the effect. Also sketch the waveform.
8. Now adjust the frequency of the generator to 1 KHz , and if necessary, re-adjust the terminal voltage components (DC and AC) to their original values just as instep 2.
9. Again measure AC and DC voltage across R and C using multi-meter and record in table 2 . Why are things so different when the frequency is changed to 1 KHz

## OBSERVATION AND CALCULATIONS

## Table-1

| $f=10 \mathrm{KHz}$ | Vc |  | $V_{R}$ |  |
| :---: | :---: | :---: | :---: | :---: |
|  | dc | ac | dc | ac |
| Calculated |  |  |  |  |
| Measured |  |  |  |  |

## Table-2

| $V_{c}$ |  | $V_{R}$ |  |
| :---: | :---: | :---: | :---: |
| dc | ac | dc | ac |
|  |  |  |  |

